



Mid-semester Feedback Form: <https://tinyurl.com/msh7yvXu>

Problem Subset Sum Practice.

Exercise 11.3. Consider the following variation of subset sum which allows for an additive error of 1. We'll call it *subset-sum* ± 1 . The input consists of n numbers $x_1, \dots, x_n \in \mathbb{N}$ and a target $T \in \mathbb{N}$, like subset sum. The goal is to decide if there is a subset of x_1, \dots, x_n that sums to either $T - 1$, T , or $T + 1$. For this problem, either (a) design and analyze a polynomial time algorithm (the faster the better), or (b) prove that a polynomial time algorithm would imply a polynomial time algorithm for SAT.

The following are two (potentially hard) graph problems.

Exercise 12.6. Let $G = (V, E)$ be a directed graph with real-valued edge lengths $\ell : E \rightarrow \mathbb{R}$, and let $s, t \in V$. Consider the problem of computing the length of the shortest path from s to t . For this problem, either (a) design and analyze a polynomial time algorithm (the faster the better), or (b) prove that a polynomial time algorithm would imply a polynomial time algorithm for SAT.

Exercise 12.13. Let $G = (V, E)$ be a DAG, and $s, t \in V$. Consider the problem of computing the *number* of paths from s to t in G .⁶ For this problem, either (a) design and analyze a polynomial time algorithm (the faster the better), or (b) prove that a polynomial time algorithm would imply a polynomial time algorithm for SAT.